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Learnjig Objectives
In this chapter you will learn about:
B Reasons for using binary instead of decimal
numbers
B Basic arithmetic operations using binary numbers
BAddition (+)
BSubtraction $(-)$
BMultiplication (*)
B Division (/)
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Reasons for using binary instead of decimal numbers BAddition (+)
B Subtraction (-)
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B Multiplication (*)
BDivision (/)


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Add binary numbers 10011 and 1001 in both decimal and binary form
Solution

| Binary | Decima |
| :---: | ---: |
| carry 11 | carry |
| 10011 | 19 |
| +1001 | +9 |
| 11100 | 28 |

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## Example

Subtract $01110_{2}$ from $10101_{2}$
Solution
$\left\{\begin{array}{l}12 \\ 0202\end{array}\right.$
10101
-01110
00111
Note: Go through explanation given in the book

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Involves following 3 steps:
Step 1: Find the complement of the number you

are subtracting (subtrahend) | Step 2: Add this to the number from which you |
| ---: |
| are taking away (minuend) |


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Binary Subtraction Using Complementary Metinod (Example 1)

## Example

Subtract $0111000_{2}\left(56_{10}\right)$ from $1011100_{2}\left(92_{10}\right)$ using $\qquad$ complementary method.

## Solution

1011100
+1000111 (complement of 0111000)
$\stackrel{\square}{\square}$
1 (add the carry of 1 )
0100100
Result $=0100100_{2}=36_{10}$

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## Binasy Divisjos

Table for binary division is as follows:
$0 \div 0=$ Divide by zero error
$0 \div 1=0$
$1 \div 0=$ Divide by zero error
$1 \div 1=1$
As in the decimal number system (or in any other number system), division by zero is meaningless $\qquad$
The computer deals with this problem by raising an error condition called 'Divide by zero' error $\qquad$
$\qquad$

[^0]
## Example

Divide $100001_{2}$ by $110_{2}$
Solution 0101 (Quotient)
110 100001 (Dividend)
Divisor greater than 100, so put 0 in quotient Add digit from dividend to group used above Subtraction possible, so put 1 in quotient Remainder from subtraction plus digit from dividend Divisor greater, so put 0 in quotient Add digit from dividend to group Subtraction possible, so put 1 in quotient
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| :---: | :---: |
| Most mult the <br> Exam <br> $4 \times 8$ | use the additive method for performing and division operations because it simplifies it design of computer systems $8+8=32$ |

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## Rules for Aclajejve juethod of Divisjon

$B$ Subtract the divisor repeatedly from the dividend until the result of subtraction becomes less than or equal to zero
$B$ If result of subtraction is zero, then:
ß quotient $=$ total number of times subtraction was performed

B remainder $=0$
$B$ If result of subtraction is less than zero, then:
B quotient $=$ total number of times subtraction was performed minus 1
B remainder = result of the subtraction previous to the last subtraction



[^0]:    Rules for Binary Division

    1. Start from the left of the dividend
    2. Perform a series of subtractions in which the divisor is subtracted from the dividend
    3. If subtraction is possible, put a 1 in the quotient and subtract the divisor from the corresponding digits of dividend
    4. If subtraction is not possible (divisor greater than remainder), record a 0 in the quotient
    5. Bring down the next digit to add to the remainder digits. Proceed as before in a manner similar to long division
